



Report
on
Pooling of Central and State Sample Data
of
NSS 69th Round

SCHEDULE 1.2 : Drinking Water, Sanitation, Hygiene, Housing Condition and

SCHEDULE 0.2 : Survey on Slums

(MIZORAM)

DIRECTORATE OF ECONOMICS & STATISTICS, MIZORAM : AIZAWL

**Report on Pooling of Central and State Sample Data
of
NSS 69th Round
(July, 2012 – December, 2012)
Drinking Water, Sanitation, Hygiene, Housing Condition and Survey on Slums
Mizoram**

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P R E F A C E

The present publication “**Report on Pooling of Central and State Sample Data of NSS 69th Round - Mizoram**” is the 4th of its kind published by this Directorate.

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I hope that this publication will be of immense help to officers of the Government who are involved in planning and policy framing, economists, researchers, academicians and the general public.



(LALRIKHUMA SAILO)

Director

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Aizawl
5th July, 2019

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CHAPTER I

INTRODUCTION AND BACKGROUND

The National Sample Survey Office (NSSO), Ministry of Statistics and Programme Implementation (MOSPI), Government of India, since its inception in 1950 has been conducting nationwide integrated large scale sample surveys, employing scientific sampling methods to generate data and statistical indicators on diverse socio-economic aspects. During the period 1st July 2012 to 31th December, 2012, NSSO carried out an all-India socio-economic survey on **Drinking Water, Sanitation, Hygiene, Housing Condition and Survey on Slums**. The last survey on these subject was covered in NSS 65th Round (July 2008 – June 2009). .

The main objective of the survey on **Drinking Water, Sanitation, Hygiene, Housing Condition and Survey on Slums**, conducted by NSSO was to get estimates of various aspects of characteristics of living conditions necessary for decent and healthy living of the household members by developing suitable indicators based upon collected information at National and State level.

One of the objective of states participation in the NSS programme is to provide a mechanism by which sample size would be increased and pooling of the two sets of data can be done so as to enable better estimates at lower sub state level, particularly at district level. At the state level, this will result in increased precision of the estimates and at disaggregated level, estimates will be more stable. But the major benefit will be derived in the case of estimates are generated at sub- state level like NSS regions/districts. Although the need for pooling Central and State sample data was felt for quite some time and the 13th Finance Commission had also made special provision for additional funds in each district to carry out this exercise, little progress was made in this respect in terms of evolving a uniform methodology of pooling and also testing for poolability of the two sets of data. While some states, of their own, pooled the results of Central and State samples for a few NSS rounds, there was a complete lack of uniformity in their approach which resulted in a loss of comparability of such pooled data. It was against this backdrop that the National Statistical Commission appointed a professional committee under the Chairmanship of Dr. R. Radhakrishna, Ex- Chairman, National Statistical Committee (NSC) to examine the issues. The Committee in its report gave a detailed methodology for pooling and also the tests for poolability.

Following the recommendations of Committee, DPD took initiative to provide all kind of technical guidance and support to states in pooling their data. DPD organized two workshops on “Pooling Central and States sample NSS data” at New Delhi in January and August 2013. A total of about 40 officers from 17 different States participated in the first pooling Workshop. During the second workshop, a total of 30 officers from 12 different states participated. Detailed procedure of carrying out poolability test of two sets of data – both parametric and non- paramedic and also of computation of district-level pooled estimates for a set of important indicators were shown and discussed with the States in the states in the said workshops for NSS 66th round survey. DPD took its own initiative to develop customised software for poolability tests of two set two sets of data which can be applied to data of any NSS Rounds. Tabulation Software for pooling in the central and state sample data of NSS 66th samples round based upon key parameters were developed by DPD and supplied to state DES for the pooling exercise. The customised poolability test software developed by DPD was also supplied to the State DES along with operational instructions so that states following layout other than central sample data layout can also conduct poolability test using the software at the desired level of domain. Report of the NSC Committee on pooling was also given to the States.

Subsequently, pooling workshop was merged with the regional GSDP Workshop of NAD where 2 days were devoted to the discussion/training on pooling. 5 such regional workshops were organized in 2014-2015. Hands-on training was also given to the participants in the Workshop.

During deliberations in the GSDP Workshop it was noted the importance of pooling of NSS 67th round and 68th round data of state and central sample data as assumes even greater significance for its use in the National Accounts Statistics. Generating estimates of GVA per worker based on NSS 67th round data and estimated worker (principal + subsidiary status) based on NSS 68th round data by compilation category after pooling the two sets of data is need of the hour as these two parameters are vital for estimating GVA by Labour Input method used in National Accounts Statistics. The workshop on “Methodology for poolability and pooling of NSS data of 67th round” was then held at Sardar Patel Bhawan during 18-19 June, 2015 where estimate of worker and GVA per worker was attempted at sector and state level apart from other key parameters at district level after pooling the two sets of data. 50 officers from 22 different States participated in the Workshop, besides officers from D.P. Centres, DPD Head Quarter and CPD.

Parameters considered for pooling:

Considering the smaller sample size at district level the following broad parameters were considered for pooling.

- a) District-wise estimated Average Floor Area per dwelling
- b) District-wise estimated Housing Condition (Structure Type)

1.1 Testing the poolability of two sets of data:

District-wise following tests were undertaken.

- a) District-wise Wald-Wolfowitz run test for Housing Condition between Central and State sample [non parametric Z-test]
- b) District-wise divergence test for Floor Area of each Household between Central and State sample [parametric Z-test]
- c) District-wise Mean Test for Floor Area of each Household [parametric Z-test]
- d)

1.2 Methodology of pooling:

Two alternate methods are used in pooling the central and state sample data.

- a) **Weighting by Matching ratio:** Building aggregate estimate of pooled sample in proportion matching ratio $m:n$ of central and state sample aggregate estimate where m and n are the allotted sample for central and state sample separately for rural and urban sector. Building ratio estimate of pooled sample as ratio of aggregate estimates.
- b) **Weighting by inverse of variance:** Ratio estimates are built by weighting the ratio estimate of central and state sample in proportion to inverse of variance of ratio of the central and state sample.

1.3 Presentation of results:

Summary statements of results are placed in the document both for poolability test and pooled results for Mizoram state. Details results are also available in excel sheet and print files generated through the pooling software

1.4 Sample size: Total sample size of Mizoram State for central and state sample are given below:

RURAL

Central sample				State sample			
FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed	FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed
48	48	576	576	48	48	576	576

URBAN

Central sample				State sample			
FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed	FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed
48	48	576	576	48	48	576	576

ALL (Rural + Urban)

Central sample				State sample			
FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed	FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed
96	96	1152	1152	96	96	1152	1152

ALL (Central + State) + (Rural + Urban)

FSUs Allotted	FSUs Surveyed	Household Selected	Household Surveyed
192	192	2304	2304

CHAPTER II SUMMARY FINDINGS

Chi-Square Test and Mean Test was done over Average floor Area per dwelling and Run Test was done over Housing Condition (structure type) for testing the poolability of Central sample and State sample data for Rural and Urban Sectors. Districts for which poolability was rejected by the above mentioned tests is given below :

Table 2.1 : Number of Districts for which Poolability was rejected over Structure Type and Floor Area by Run Test using Z-statistics (one-sided) and Mean Test and Chi-Square Test.

District Code	District	Rural Sector		Urban Sector	
Run Test					
1	MAMIT	-11.87	Y	-6.71	Y
2	KOLASIB	-9	Y	-9.64	Y
3	AIZAWL	-13.71	Y	-23.94	Y
4	CHAMPHAI	-11.87	Y	-9.64	Y
5	SERCHHIP	-9.64	Y	-9.64	Y
6	LUNGLEI	-13.71	Y	-13.75	Y
7	LAWNGTLAI	-13.75	Y	-	-
8	SIAHA	-9.64	Y	-6.71	Y
Mean Test					
1	MAMIT	0.56	Y	0.03	Y
2	KOLASIB	1.01	Y	0.55	Y
3	AIZAWL	0.43	Y	4.26	N
4	CHAMPHAI	0.60	Y	0.31	Y
5	SERCHHIP	0.81	Y	5.42	N
6	LUNGLEI	0.56	Y	1.53	Y
7	LAWNGTLAI	0.69	Y	-	-
8	SIAHA	0.49	Y	0.29	Y
Chi-Square Test					
1	MAMIT	0.56	Y	12.89	N
2	KOLASIB	1.01	Y	17.5	N
3	AIZAWL	0.43	Y	4.11	Y
4	CHAMPHAI	0.60	Y	1.19	Y
5	SERCHHIP	0.81	Y	1.09	Y
6	LUNGLEI	0.56	Y	0.27	Y
7	LAWNGTLAI	0.69	Y	-	-
8	SIAHA	0.49	Y	0	Y

Notes :

During 69th Round Survey, Lawngtlai Town was not yet declared as 'Notified Town', so there were 7 Districts for Urban Sample and the Total Districts come up to 7 as indicated above.

CHAPTER- III

TESTING POOLABILITY AND METHODOLOGY FOR POOLING

1 Testing Poolability of central and state sample

1.1 Though the central sample and state sample are drawn independently following identical sampling design with same concepts, definitions and instructions to collect the state sample data unit level data in some cases are not properly validated. There is also expected agency bias in the two sets of data generated by different agencies. As such they cannot be merged for generating pooled estimate without testing that the samples are realized from identical distribution function. Since the parametric distribution of the sample mean is unknown one may adopt non-parametric tests such as Run test, Median test, chi-square test etc to test that the samples are coming from identical distribution function.

1.2 Median test

1.2.1 In statistics, the median test is a special case of Pearson's Chi-square test. It tests the null hypothesis that the medians of the populations from which two samples are drawn, are identical. Observations in each sample are assigned to two groups, one consisting of data whose values are higher than the median value in the two groups combined, and the other consisting of data whose values are at the median or below. A Pearson's Chi-square test is then used to determine whether the observed frequencies in each group differ from expected frequencies derived from a distribution combining the two groups.

Let m^* be the median of the pooled sampled data. Construct 2x2 contingency table as below and use chi-square test if State sample and Central sample have identical median.

Sample-type	no of sample observation		Total
	$\leq m^*$	$> m^*$	
State Sample	N ₁₁	N ₁₂	N _{1.}
Central Sample	N ₂₁	N ₂₂	N _{2.}
Total	N _{.1}	N _{.2}	N _{..}

Observed frequency of each cell $O_{ij} = N_{ij}$ where $i = 1$ to 2 , $j = 1$ to 2 .

Expected frequency of each cell $E_{ij} = (N_{i.} * N_{.j}) / N_{..}$ where $i = 1$ to 2 , $j = 1$ to 2 .

$$2 \quad \chi^2 \text{ Value} = \sum_{i=1}^2 \sum_{j=1}^2 (O_{ij} - E_{ij})^2 / O_{ij} \text{ with degrees of freedom} = (2-1) * (2-1) = 1$$

The statistical power of this test may sometimes be improved by using a value other than the median to define the groups say quintile classes—that is, by using a value which divides the groups into more nearly equal groups than the median would.

1.3 Multinomial distribution test or χ^2 test

For discrete data such as status of activity, educational level and categorical variable such as land possessed etc, standard tests of equality of sample proportions of two sets of data based on multinomial distributions, relevant chi-square tests may be used after grouping the attributes/categorical variables into a suitable number of classes so that each class contains adequate number of sample observations. Construct $2 \times k$ contingency table for classes at the domain where two sets of data are to be pooled as below and use chi-square test if State sample and Central sample have identical distribution.

Sample-type	no of sample observation					Total
	Class-1	Class-2	...	Class-k-1	Class-k	
State Sample	N_{11}	N_{12}	...	N_{1k-1}	N_{1k}	$N_{1.}$
Central Sample	N_{21}	N_{22}	...	N_{2k-1}	N_{2k}	$N_{2.}$
Total	$N_{.1}$	$N_{.2}$...	$N_{.k-1}$	$N_{.k}$	$N_{..}$

Observed frequency of each cell $O_{ij} = N_{ij}$ where $i = 1$ to 2 , $j = 1$ to k .

Expected frequency of each cell $E_{ij} = (N_{i.} * N_{.j}) / N_{..}$ where $i = 1$ to 2 , $j = 1$ to k .

$$\chi^2 \text{ Value} = \sum_{i=1}^2 \sum_{j=1}^k (O_{ij} - E_{ij})^2 / O_{ij} \text{ with degrees of freedom} = (2-1) * (k-1) = k-1$$

1.4 Wald-Wolfowitz run test

1.4.1 Suppose X and Y are independent random samples with cumulative distribution function (CDF) as $F_S(x)$ and $F_C(y)$. Null Hypothesis to be tested is $H_0: F_S(x) = F_C(x)$ for all x against alternative Hypothesis $H_1: F_S(x) < F_C(x)$ for all x and $F_S(x) < F_C(x)$ for some x . Let x_1, x_2, \dots, x_m be iid observation from state sample with distributive function F_S and y_1, y_2, \dots, y_n be iid observation from central sample with distributive function F_C . Pool the data and order them with respect to comparable characteristic under considerations say monthly per capita expenditure (MPCE). In the pooled order sequence put "1" for X and "0" for Y . Let U be the total runs observed where 'run' is a sequence of adjacent equal symbols. For example, following sequence: 111100011100111110000 is divided into six runs, three of them are made out of "1" and the others are made out of "0". The number of runs U is a random variable whose distribution for large sample can be treated as normal with:

$$\text{mean: } \frac{2mn}{m+n} + 1$$

$$\text{variance: } \frac{2mn(2mn - m - n)}{(m+n)^2(m+n-1)}$$

After normalizing the variable U one may use one-sided z -test for testing the Null hypothesis. In extreme case the value of U will be 2 meaning by observed characteristic of all the observation of one sample is less than the others samples.

1.4.2 One of the limitations of this test is when there is a tie between two samples in the observed value. One has to resolve ties in usual manner. However if there is large number of ties which is bound to occur specially for qualitative attributes like education level, activity status etc, this test is not recommended. This test can be well applied for a continuous variables such as MPCE which are less prone to ties. For discrete variable chi-square test is recommended.

1.5 Parametric test

1.5.1 Aggregate estimate: Let t_{yc} and t_{ys} be the estimate of Y at domain level of pooling based on central and states samples respectively with corresponding variances $V(t_{yc})$ and $V(t_{ys})$. For large sample, making all assumption of parametric test, one may use Z -Statistic to test the null hypothesis $H_0 E(t_{yc}) = E(t_{ys})$ where E stands for expectation.

$$Z = \frac{(t_{yc} - t_{ys})}{\sqrt{V(t_{yc}) + V(t_{ys})}}$$

$V(t_{yc})$ and $V(t_{ys})$ could be estimated as

$$\hat{V}(t_{yc}) = \sum_l (t_{yc1} - t_{yc2})^2 / 4, \quad \hat{V}(t_{ys}) = \sum_l (t_{ys1} - t_{ys2})^2 / 4 \quad \text{based on sub-sample 1 \& 2}$$

estimates where \sum_l stands for summing over stratum \times sub-stratum level variance at the domain of pooling.

1.5.2 Estimate of rate: Let r_c and r_s be the estimate of population rates R_c and R_s ie Y/X based on central and states samples respectively with corresponding means square error $MSE(r_c)$ and $MSE(r_s)$. For large sample, making all assumption of parametric test, one may use Z -Statistic to test the null hypothesis $H_0 E(r_c) = E(r_s)$ where E stands for expectation.

$$Z = \frac{(r_c - r_s)}{\sqrt{MSE(r_c) + MSE(r_s)}}$$

$MSE(r_c)$ and $MSE(r_s)$ are estimated as follows:

$$mse(r_c) = (V(t_{yc}) - 2 * r_c Cov(t_{yc}, t_{xc}) + r_c^2 V(t_{xc})) / t_{xc}^2$$

$$mse(r_s) = (V(t_{ys}) - 2 * r_s Cov(t_{ys}, t_{xs}) + r_s^2 V(t_{xs})) / t_{xs}^2$$

where

$$\begin{aligned} \hat{V}(t_{yc}) &= \sum_j (t_{yc1} - t_{yc2})^2 / 4, & \hat{V}(t_{ys}) &= \sum_j (t_{ys1} - t_{ys2})^2 / 4 \\ \hat{V}(t_{xc}) &= \sum_j (t_{xc1} - t_{xc2})^2 / 4, & \hat{V}(t_{xs}) &= \sum_j (t_{xs1} - t_{xs2})^2 / 4 \\ \hat{Cov}(t_{yc}, t_{xc}) &= \sum_j (t_{yc1} - t_{yc2})(t_{xc1} - t_{xc2}) / 4 \end{aligned}$$

based on sub-sample 1 & 2 estimates.

where \sum_j stands for summing over stratum x sub-stratum level variance, covariance at the domain of pooling.

2 Methodology for pooling

2.1 Pooling by inverse weight of the variance of the estimates

2.1.1 Aggregate estimate: For any characteristic, consider the states sample [s] in the form of two independent sub-samples 1 and 2 and the central sample [c] in the form of two independent sub-sample c1 and c2. Based on this, the respective estimates for state and central can be computed as:

$$t_s = \sum_j (t_{s1} + t_{s2}) / 2 \text{ and } t_c = \sum_j (t_{c1} + t_{c2}) / 2$$

Pooled estimate leading to optimum combination of these two estimates is given by weighing with inverse of the variance of the estimate. Thus the pooled estimate is given by:

$$T_p = \frac{V(t_c)t_s + V(t_s)t_c}{V(t_c) + V(t_s)} \quad \text{with } V(T_p) = \frac{V(t_c)V(t_s)}{V(t_c) + V(t_s)}$$

In general $V(t_c)$ and $V(t_s)$ are unknown and can be estimated as

$$\hat{V}(t_c) = \sum_j (t_{c1} - t_{c2})^2 / 4, \quad \hat{V}(t_s) = \sum_j (t_{s1} - t_{s2})^2 / 4$$

where \sum_j stands for summing over stratum x sub-stratum level variance at the domain of pooling.

Thus pooled estimate and estimate of pooled variance is given by

$$t_p = \frac{\hat{V}(t_c)t_s + \hat{V}(t_s)t_c}{\hat{V}(t_c) + \hat{V}(t_s)}, \quad V(t_p) = \frac{\hat{V}(t_c)\hat{V}(t_s)}{\hat{V}(t_c) + \hat{V}(t_s)}$$

2.1.2 By virtue of weighing the two estimates at the domain level at which two estimates are pooled, the pooled estimate will always lie between the central and state sample estimates.

2.1.3 Estimate of rate: Let t_c and t_s be the estimate of R_c and R_s i.e. Y/X based on central and state samples respectively with corresponding estimated means square error $mse(r_c)$ and $mse(r_s)$. The pooled

estimate and estimate of variance of pooled ratio estimate may be given by:

$$r_p = \frac{mse(r_C)r_S + mse(r_S)r_C}{mse(r_C) + mse(r_S)}, \quad mse(r_p) = \frac{mse(r_C)mse(r_S)}{mse(r_C) + mse(r_S)}$$

Where $mse(r_C)$ and $mse(r_S)$ are recalculated using formula given in para 1.5.2 above. Alternatively one can generate the pooled estimate of aggregate by inverse weight of estimate of variance obtained from central and statesample using formula given in para 2.1.1 for the characteristics x as well as y and obtain the pooled estimate of ratio as ratio of pooled estimate of aggregate. This will ensure consistency between pooled estimates of aggregate and the pooled estimate of ratio.

Let t_{xp} and t_{yp} be the pooled estimate of aggregate for the parameter X and Y . The pooled estimate of R (i.e. Y/X) is given by

$$r_p = t_{yp} / t_{xp}$$

where $t_{yp} = at_{yc} + bt_{ys}$ and $t_{xp} = ct_{xc} + dt_{xs}$ and $(a, b), (c, d)$ are the estimated inverse variance weight pair of the characteristic x and y respectively.

The estimated mse of pooled ratio estimate r_p is given by:

$$mse(r_p) = (V(t_{yp}) - 2 r_p Cov(t_{yp}, t_{xp}) + r_p^2 V(t_{xp})) / t_{xp}^2$$

$$\text{where } V(t_{yp}) = \frac{ab}{a+b}, V(t_{xp}) = \frac{cd}{c+d} \text{ and}$$

$$Cov(t_{yp}, t_{xp}) = ac Cov(t_{yc}, t_{xc}) + bd Cov(t_{ys}, t_{xs}).$$

$$Cov(t_{yc}, t_{xc}) = \sum_I \frac{(t_{yc1} - t_{yc2})(t_{xc1} - t_{xc2})}{4} \quad \text{based on sub-sample 1 \& 2 estimates.}$$

$$\text{Similarly, } Cov(t_{ys}, t_{xs}) = \sum_I \frac{(t_{ys1} - t_{ys2})(t_{xs1} - t_{xs2})}{4}$$

where \sum_I stands for summing over stratum x sub-stratum level covariance at the domain of pooling.

2.1.4 Method laid down in para 2.1.1 and 2.1.2 requires calculation of estimate of variance of the estimates before pooling them. Reliability of estimate of variance should be ascertained with due consideration of sample size. Besides the complex calculations of variances and covariances for each cell of the table, one needs to address the issue of non-additivity of the component estimates with the estimate of marginal total. For e.g. pooled estimate of MPCE of FOOD and NON-FOOD may not add up to MPCE of TOTAL. To obviate this problem one may generate the pooled estimates of components first and then derive the estimate of total as sum of estimates of components.

$$V(tc) + V(ts)$$

2.2 Pooling by simple average of the estimates

2.2.1 Many of the States are not fully equipped with complex calculation of estimate of variance especially when cells of the table contains ratio of two characteristics which is usually presented in the NSS reports. When the State's participation is equal matching of central samples, the simple average of two estimates may be a way of combining the estimates considering central and states samples as independent samples. The pooled estimate will always lie between the estimates based on central and states sample separately.

2.2.2 When the State's participation is of unequal matching of central samples, the weighted average of two estimates with weights being matching ratio of central and states sample may be a better way of combining the estimates considering central and state samples as independent samples. For any characteristic, consider the states sample [s] in the form of two independent sub-samples 1 and 2 and the central sample [c] in the form of two independent sub-sample c1 and c2. Let matching ratio of state and central sample be m:n. Based on this, the respective estimates for state and central can be computed as:

$$t_s = \frac{t_{s1} + t_{s2}}{2} \text{ and } t_c = \frac{t_{c1} + t_{c2}}{2}$$

//

Pooled estimate of these two estimates is given by weighing with matching participation rate m:n. Thus the pooled estimate is given by:

In general $V(t_c)$ and $V(t_s)$ can be estimated as $V(t_c) = \frac{\sum (t_{c1} - t_{c2})^2}{4}$

The pooled estimate will always lie between the estimates based on central and states sample separately.

2.3 Summing up: For those characteristics which are known to be distributed as Normal, poolability of the two sets of central and state data may be tested by standard parametric tests such as Z-test. For those characteristics for which transformation makes them Normal, such methodology may be adopted. In most of these situations where the distribution is non-normal and unknown, the two sets of data may be tested through various non-parametric tests such as those laid down in para 1 of above. For discrete data, Standard tests of equality of proportions based on binomial distribution may be used and for multinomial distributions relevant chi-square tests may be used.

Chapter-IV

Result of Poolability Test

State: MIZORAM Sector: RURAL			RUN TEST
Table-0.1 (R): District-wise result of run test of Average Floor Area (per household) for Pooled sample $Z_{0.01} = -2.33$ [one sided test] reject if z-value $> Z_{0.01}$			
District Code	District Name	Z-value	Accept
1	Mamit	-11.87	Y
2	Kolasib	-9	Y
3	Aizawl	-13.71	Y
4	Champhai	-11.87	Y
5	Serchhip	-9.64	Y
6	Lunglei	-13.71	Y
7	Lawngtlai	-13.75	Y
8	Siaha	-9.64	Y

State: MIZORAM Sector: URBAN			RUN TEST
Table-0.1 (R): District-wise result of run test of Average Floor Area (per household) for Pooled Sample $Z_{0.01} = -2.33$ [one sided test] reject if z-value $> Z_{0.01}$			
District Code	District Name	Z-value	Accept
1	Mamit	-6.71	Y
2	Kolasib	-9.64	Y
3	Aizawl	-23.94	Y
4	Champhai	-9.64	Y
5	Serchhip	-9.64	Y
6	Lunglei	-13.75	Y
8	Siaha	-6.71	Y

State: MIZORAM Sector: RURAL		MEAN TEST	
Table-0.1 (R): District-wise result of mean test of Average Floor Area (per household)for Pooled Sample $Z_{0.005} = 2.575$ [one sided test] reject if z-value $> Z_{0.005}$			
District Code	District Name	Z-value	Accept
1	Mamit	0.56	Y
2	Kolasib	1.01	Y
3	Aizawl	0.43	Y
4	Champhai	0.60	Y
5	Serchhip	0.81	Y
6	Lunglei	0.56	Y
7	Lawngtlai	0.69	Y
8	Siaha	0.49	Y

State: MIZORAM Sector: URBAN		MEAN TEST	
Table-0.1 (R): District-wise result of mean test of Average Floor Area (per household)for Pooled Sample $Z_{0.005} = 2.575$ [one sided test] reject if z-value $> Z_{0.005}$			
District Code	District Name	Z-value	Accept
1	Mamit	0.03	Y
2	Kolasib	0.55	Y
3	Aizawl	4.26	N
4	Champhai	0.31	Y
5	Serchhip	5.42	N
6	Lunglei	1.53	Y
8	Siaha	0.29	Y

State: MIZORAM Sector: RURAL		CHI - SQUARE TEST	
Table-0.1 (R): District-wise result of chi-square test of Housing Condition (Structure Type)for Pooled sample $X^2_{0.01} = 9.21$ [one sided test] reject $X^2\text{-value} > X^2_{0.01}$			
District Code	District Name	Z-value	Accept
1	Mamit	1.36	Y
2	Kolasib	6.63	Y
3	Aizawl	7.7	Y
4	Champhai	0.38	Y
5	Serchhip	0.19	Y
6	Lunglei	7.99	Y
7	Lawngtlai	0.09	Y
8	Siaha	1.27	Y

State: MIZORAM Sector: URBAN		CHI - SQUARE TEST	
Table-0.1 (R): District-wise result of chi-square test of Housing Condition (Structure Type)for Pooled sample $X^2_{0.01} = 9.21$ [one sided test] reject $X^2\text{-value} > X^2_{0.01}$			
District Code	District Name	Z-value	Accept
1	Mamit	12.89	N
2	Kolasib	17.5	N
3	Aizawl	4.11	Y
4	Champhai	1.19	Y
5	Serchhip	1.09	Y
6	Lunglei	0.27	Y
8	Siaha	0	Y

Chapter- V
Pooled Results of Schedule 1.2

State: MIZORAM Sector: RURAL			Pooling method: MATCHING RATIO						
Table-(R): District-wise estimated no. of household by Types of structure									
District Code	Pucca			Semi-Pucca			Katcha		
	Central	State	Pool_mr	Central	State	Pool_mr	Central	State	Pool_mr
1	461	620	548	367	206	279	172	174	173
2	806	573	677	116	221	174	78	206	149
3	731	813	771	217	165	192	52	22	37
4	836	888	858	134	96	118	30	16	24
5	836	903	869	164	97	131	0	0	0
6	449	472	460	168	112	141	383	415	399
7	281	303	292	259	275	267	460	422	441
8	513	580	547	231	200	215	256	220	238
All	574	609	591	213	178	196	213	213	213

State: MIZORAM Sector: URBAN			Pooling method: MATCHING RATIO						
Table-(U): District-wise estimated no. of household by Types of structure									
District Code	Pucca			Semi-Pucca			Katcha		
	Central	State	Pool_mr	Central	State	Pool_mr	Central	State	Pool_mr
1	383	949	662	387	51	221	230	0	117
2	717	957	840	283	43	160	0	0	0
3	955	991	972	45	9	28	0	0	0
4	759	885	820	241	105	175	0	10	5
5	992	1000	996	8	0	4	0	0	0
6	884	920	900	98	66	84	17	15	16
8	1000	1000	1000	0	0	0	0	0	0
All	892	969	929	97	28	64	11	3	7

State: MIZORAM Sector: ALL			Pooling method: MATCHING RATIO						
<i>Table-(A): District-wise estimated no. of household by Types of structure</i>									
District Code	Pucca			Semi-Pucca			Katcha		
	Central	State	Pool_mr	Central	State	Pool_mr	Central	State	Pool_mr
1	441	690	574	372	173	265	187	137	160
2	751	793	773	219	119	166	30	88	61
3	899	947	922	88	48	69	13	5	9
4	810	887	845	169	99	138	20	14	17
5	913	948	930	87	52	70	0	0	0
6	637	655	645	138	93	117	225	252	238
7	281	303	292	259	275	267	460	422	441
8	690	682	686	147	151	149	163	166	165
All	729	778	753	156	108	133	115	114	114

State: MIZORAM				Sector: RURAL					
<i>Table-(R): District-wise estimated average floor Area of one dwelling and their RSE for Central, State and Pooled Sample.</i>									
District Code	District Name	Average Floor Area				RSE of Average Floor Area per dwelling			
		central	state	Pool_mr	Pool_iv	central	state	Pool_mr	Pool_iv
1	Mamit	51.05	54.87	53.14	51.38	3.96	11.99	6.48	3.76
2	Kolasib	77.07	66.67	71.3	70.23	10.82	9.02	7.21	6.95
3	AizawlCham	50.73	54.76	52.68	53.80	16.16	8.35	8.91	7.42
4	Champhai	61.63	56.02	59.18	61.39	3.19	16.44	7.96	3.13
5	Serchhip	51.72	59.15	55.42	55.58	12.80	10.77	8.29	8.26
6	Lunglei	41.74	43.87	42.75	42.94	6.81	5.71	4.43	4.38
7	Lawngtlai	70.27	59.53	64.88	63.04	18.29	15.05	12.07	11.66
8	Siaha	98.89	107.03	103.10	102.27	10.93	11.97	8.13	8.08
	All	60.50	60.39	60.45	60.44	5.33	4.76	3.57	3.55

State: MIZORAM						Sector: URBAN			
Table-(U): District-wise estimated average floor Area of one dwelling and their RSE for Central, State and Pooled Sample.									
District Code	District Name	Average Floor Area				RSE of Average Floor Area per dwelling			
		central	state	Pool_mr	Pool_iv	central	state	Pool_mr	Pool_iv
1	Mamit	51.40	56.44	53.88	51.40	0.30	16.32	8.55	0.30
2	Kolasib	47.80	80.37	64.45	54.82	7.42	8.42	5.93	5.73
3	AizawlCham	61.64	64.26	62.91	64.00	12.89	4.12	6.66	3.92
4	Champhai	54.45	62.86	58.48	62.00	2.70	0.79	1.33	0.76
5	Serchhip	49.09	46.38	47.81	46.43	3.58	0.50	1.85	0.50
6	Lunglei	47.98	50.37	49.06	49.13	12.13	11.98	8.54	8.53
8	Siaha	83.57	73.43	79.74	81.31	4.42	9.38	4.90	4.00
All		58.14	62.98	60.45	62.33	7.92	2.88	4.09	2.71

State: MIZORAM						Sector: ALL			
Table-(A): District-wise estimated average floor Area of one dwelling and their RSE for Central, State and Pooled Sample.									
District Code	District Name	Average Floor Area				RSE of Average Floor Area per dwelling			
		central	state	Pool_mr	Pool_iv	central	state	Pool_mr	Pool_iv
1	Mamit	51.14	55.20	53.31	51.42	2.96	10.03	5.38	2.84
2	Kolasib	59.06	74.52	67.24	68.18	9.72	6.42	5.56	5.39
3	AizawlCham	58.93	61.91	60.37	61.55	10.94	3.83	5.69	3.62
4	Champhai	59.26	58.55	58.94	59.22	2.55	10.10	5.18	2.47
5	Serchhip	50.43	53.23	51.79	51.88	6.91	6.31	4.67	4.66
6	Lunglei	44.44	46.53	45.41	45.44	6.53	6.53	4.63	4.62
7	Lawngtlai	70.27	59.53	64.88	63.04	18.29	15.05	12.07	11.66
8	Siaha	93.33	98.83	95.94	95.16	7.54	10.07	6.35	6.04
All		59.35	61.61	60.45	60.96	4.67	2.85	2.71	2.43

Abbreviations used in this Report

RSE	: Relative Standard Error
IV	: Inverse of Variance
MR	: Matching Ratio
R	: Rural
U	: Urban
A	: All